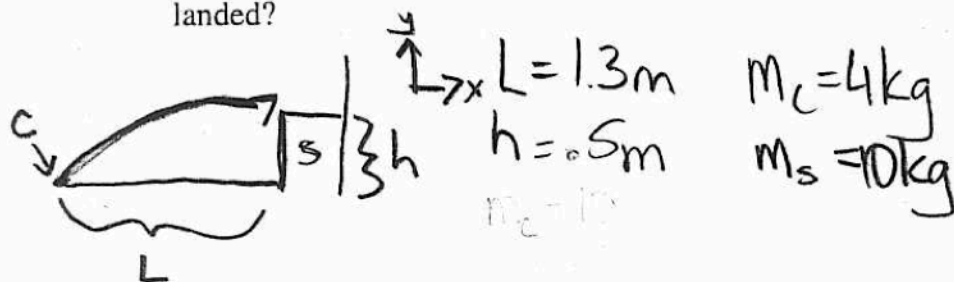


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Section #

Problem 1.

A 4kg cat (treat it as a point particle) sits on a horizontal floor eyeing a stationary chair of mass 10kg which is a horizontal distance of 1.3m away. The seat of the chair is 0.5m above the floor. The cat jumps up and lands on the seat of the chair just as she reaches the maximum height of her trajectory. She puts out her claws and hangs on. If the chair sits on a part of the floor which has just been waxed, is very slippery and therefore frictionless, what is the momentum of the cat plus chair system just after the cat has landed?

Conservation of Momentum

$$m_c v_{x_i} = (m_c + m_s) v_f$$

Kinematics

$$h = \frac{1}{2} g t^2 + v_{y_i} t; \quad 0^2 = v_{y_i}^2 - 2hg \Rightarrow v_{y_i} = \sqrt{2hg} \Rightarrow 0 = \frac{1}{2} g t^2 + t\sqrt{2hg} - h$$

$$t = \frac{-\sqrt{2hg} \pm \sqrt{2hg - 4(\frac{1}{2}g)(-h)}}{-g} = \frac{\sqrt{2h}}{\sqrt{g}}$$

$$L = v_{x_i} t \Rightarrow v_{x_i} = \frac{L}{t} = \frac{L}{\frac{\sqrt{2h}}{\sqrt{g}}} = v_{x_i}$$

 $m_c v_{x_i} = \text{Momentum of cat/chair system}$

$$\frac{m_c L}{\frac{\sqrt{2h}}{\sqrt{g}}} = \frac{(4\text{kg})(1.3\text{m})}{\frac{\sqrt{2 \times (0.5\text{m})}}{\sqrt{9.8\text{m/s}^2}}} = \boxed{\frac{16\text{kgm}}{\text{s}} = \text{momentum of cat/chair system}}$$

Name

ID#

Section #

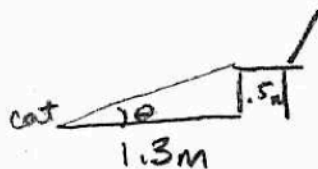
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Problem 1

A 4kg cat (treat it as a point particle) sits on a horizontal floor eyeing a stationary chair of mass 10kg which is a horizontal distance of 1.3m away. The seat of the chair is 0.5m above the floor. The cat jumps up and lands on the seat of the chair just as she reaches the maximum height of her trajectory. She puts out her claws and hangs on. If the chair sits on a part of the floor which has just been waxed, is very slippery and therefore frictionless, what is the momentum of the cat plus chair system just after the cat has landed?

$$m_c(\text{cat}) = 4 \text{ kg}$$

$$m_s(\text{chair}) = 10 \text{ kg}$$



$$m_c + m_s = 14 \text{ kg}$$

conservation of momentum $m_c v_{\text{cat}} = (m_c + m_s) v_{\text{system}}$

$$\theta \text{ of jump} = \tan^{-1}\left(\frac{0.5}{1.3}\right) = 21.04^\circ$$

$$\text{PE of cat when on chair} = m_c(-9.8)(0.5\text{m})$$

$$\text{PE} = 4(-9.8)(0.5) = -19.6$$

$$\text{PE} = \text{KE} \quad m_{\text{cat}} g y = \frac{1}{2} m_{\text{cat}} v^2$$

$$\sqrt{2gy} = v$$

$$\sqrt{2(-9.8)(0.5)} = 3.13 \text{ m/s}$$

$$(4 \text{ kg})(3.13 \text{ m/s}) = 14 \text{ kg } v_{\text{system}}$$

$$\frac{(4)(3.13)}{14} = v_{\text{system}}$$

$$0.89 \text{ m/s} = v_{\text{system}}$$

$$\text{PE of cat + chair}$$

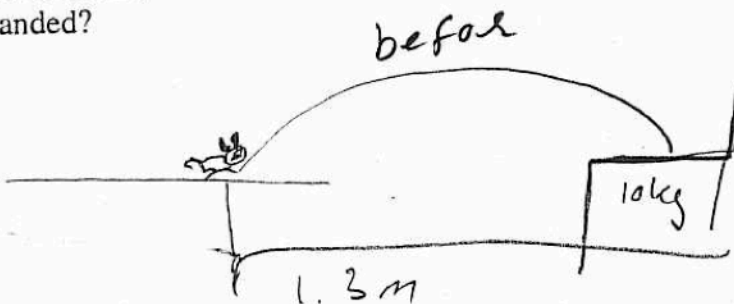
$$= (m_c + m_s) v_{\text{system}}$$

$$= 14(.89)$$

$$= 12.52 \text{ kg m/s}$$

Problem 1

A 4kg cat (treat it as a point particle) sits on a horizontal floor eyeing a stationary chair of mass 10kg which is a horizontal distance of 1.3m away. The seat of the chair is 0.5m above the floor. The cat jumps up and lands on the seat of the chair just as she reaches the maximum height of her trajectory. She puts out her claws and hangs on. If the chair sits on a part of the floor which has just been waxed, is very slippery and therefore frictionless, what is the momentum of the cat plus chair system just after the cat has landed?



$$V_x = v_{0x} + a_x t$$

$$V_x = g t^2$$

$$V_x = 10 \times 32$$

$$V_x = 3.16$$

No

7

$$y = \frac{1}{2} v_{0y}^2 + \frac{1}{2} g t^2$$

$$0.5 = \frac{1}{2} 10 t^2$$

$$0.5 = 5 t^2$$

$$t^2 = \frac{0.5}{5}$$

$$t = 0.32 \text{ s}$$

$$M v_i + M v_{ci} = M v_f + M v_{cf}$$

$$M v_i + M v_{ci} = (M_i + M_c) v_f$$

$$v_f = \frac{M v_i + M v_{ci}}{M_i + M_c}$$

$$v_f = \frac{(10) 3.16 + 4 (3.16)}{10 + 4}$$

$$v_f = 226.7 \text{ m/s}$$

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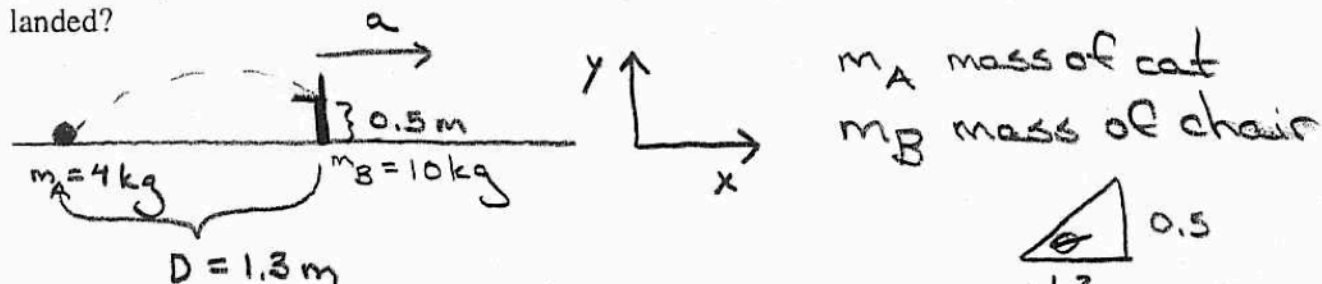
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1301.F04L.P1.S6

Section # 115

Problem 1

A 4kg cat (treat it as a point particle) sits on a horizontal floor eyeing a stationary chair of mass 10kg which is a horizontal distance of 1.3m away. The seat of the chair is 0.5m above the floor. The cat jumps up and lands on the seat of the chair just as she reaches the maximum height of her trajectory. She puts out her claws and hangs on. If the chair sits on a part of the floor which has just been waxed, is very slippery and therefore frictionless, what is the momentum of the cat plus chair system just after the cat has landed?



Use kinematics and conservation of momentum $P = (4 \text{ kg})(1.3 \text{ m/s}) = 61.6 \text{ kg} \cdot \text{m/s}$

$$m_A v_i = (m_A + m_B) v_f$$

Momentum of cat-chair system

$$(4 \text{ kg})(4.4 \text{ m/s}) = (4 \text{ kg} + 10 \text{ kg}) v_f$$

$$v_f = \frac{(4 \text{ kg})(4.4 \text{ m/s})}{14 \text{ kg}}$$

$$v_f = 1.3 \text{ m/s}$$

Velocity of cat-chair system

$$x = x_0 + v_{0x} t + \frac{1}{2} a_x t^2$$

$$y = y_0 + v_{0y} t - \frac{1}{2} g t^2$$

The time taken for the cat to land in the chair is

$$y = \frac{1}{2} g t^2$$

$$0.5 = \frac{1}{2} (9.8 \text{ m/s}^2) t^2$$

$$t = \sqrt{\frac{0.5}{\frac{1}{2}(9.8)}} = 0.32 \text{ s}$$

The initial velocity of the cat is

$$D = v_i \cos \theta t$$

$$1.3 \text{ m} = v_i \cos 21^\circ (0.32 \text{ s})$$

$$v_i = \frac{1.3}{(0.32) \cos 21^\circ}$$

$$v_i = 4.4 \text{ m/s}$$

Name

ID#

1301.F04L.P1.S20

Section # 115

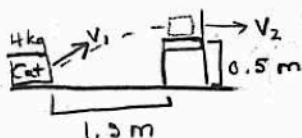
Problem 1

A 4kg cat (treat it as a point particle) sits on a horizontal floor eyeing a stationary chair of mass 10kg which is a horizontal distance of 1.3m away. The seat of the chair is 0.5m above the floor. The cat jumps up and lands on the seat of the chair just as she reaches the maximum height of her trajectory. She puts out her claws and hangs on. If the chair sits on a part of the floor which has just been waxed, is very slippery and therefore frictionless, what is the momentum of the cat plus chair system just after the cat has landed?

$$V_y = 0$$

$$\text{Time} = \frac{t}{2}$$

Use conservation of momentum and conservation of Energy.



$$\text{Momentum} = mv$$

$$\text{Momentum of cat + chair} = (m_{\text{cat}} + m_{\text{chair}}) V$$

$$\text{Conservation of momentum: } p_i = p_f$$

$$m_{\text{cat}} V_1 = (m_{\text{cat}} + m_{\text{chair}}) V_2$$

$$\text{Conservation of Energy: } KE_{\text{cat}} = PE_{\text{cat+chair}}$$

$$\frac{1}{2} m_{\text{cat}} V_1^2 = (m_{\text{cat}} + m_{\text{chair}}) gh$$

$$\Rightarrow V_1^2 = \frac{2(m_{\text{cat}} + m_{\text{chair}}) gh}{m_{\text{cat}}}$$

$$\Rightarrow V_1^2 = \frac{2(4 \text{ kg} + 10 \text{ kg})(9.8 \text{ m/s}^2)(0.5 \text{ m})}{(4 \text{ kg})}$$

$$V_1 = 5.857 \text{ m/s}$$

\therefore Plugging the initial velocity back into the conservation of momentum equation

$$(4 \text{ kg})(5.857 \text{ m/s}) = (4 \text{ kg} + 10 \text{ kg}) V_2 \Rightarrow V_2 = 1.6734 \text{ m/s}$$

\therefore The momentum of the cat plus chair system is p_f :

$$(m_{\text{cat}} + m_{\text{chair}}) V_2 \Rightarrow (4 \text{ kg} + 10 \text{ kg})(1.6734 \text{ m/s})$$

$$= 23.428 \text{ kg m/s}$$