



# Flexible Software for Computer-Based Problem Solving Labs

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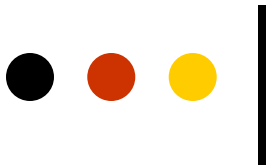
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# Outline



- Problem solving laboratories and Minnesota's Classrooms
- Motivation
- Why LabVIEW?
- Programs
  - Video Recorder and Video Tool
  - Hall Probe
  - Faraday Probe
- Adaptability
- Conclusions



# Problem-Solving Labs

- Laboratory is a required part of introductory physics courses at UMn.
- 2-hours once a week
- 15 students per lab class, 1 TA coach
  - UMn has 70+ TAs and 2000 intro physics students per semester
- Cooperative groups of 3 students
- Practice problem solving:
  - Predict-explore-measure-evaluate
- Some lab problems are quantitative, some are qualitative (exploratory)
- The **focus** of the labs is to facilitate discussion and coaching.



# Minnesota's Teaching Laboratories





# Coaching by a Teaching Assistant

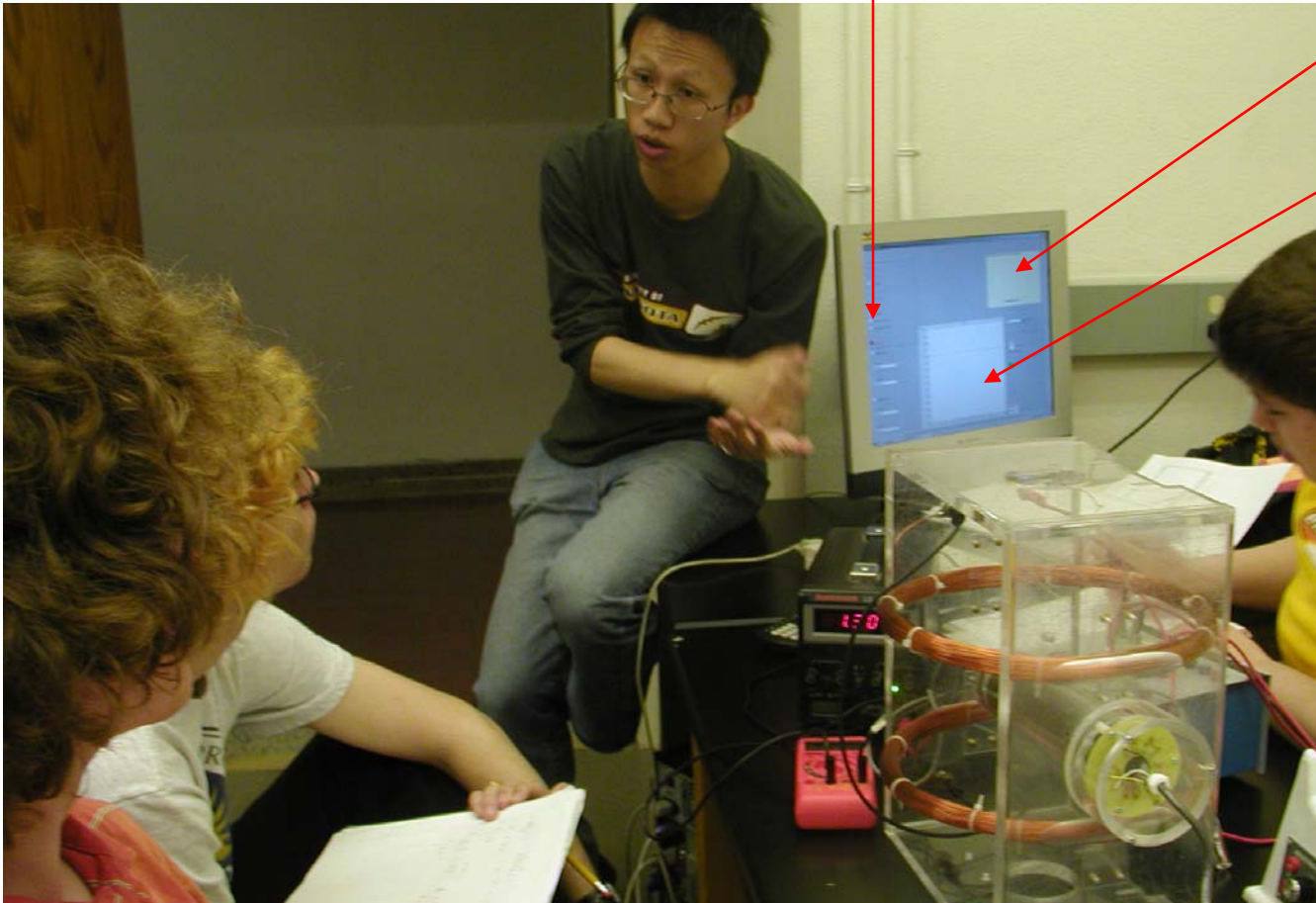


Program controls

Program  
Instructions

Data Graph

Program:  
Hall PROBE





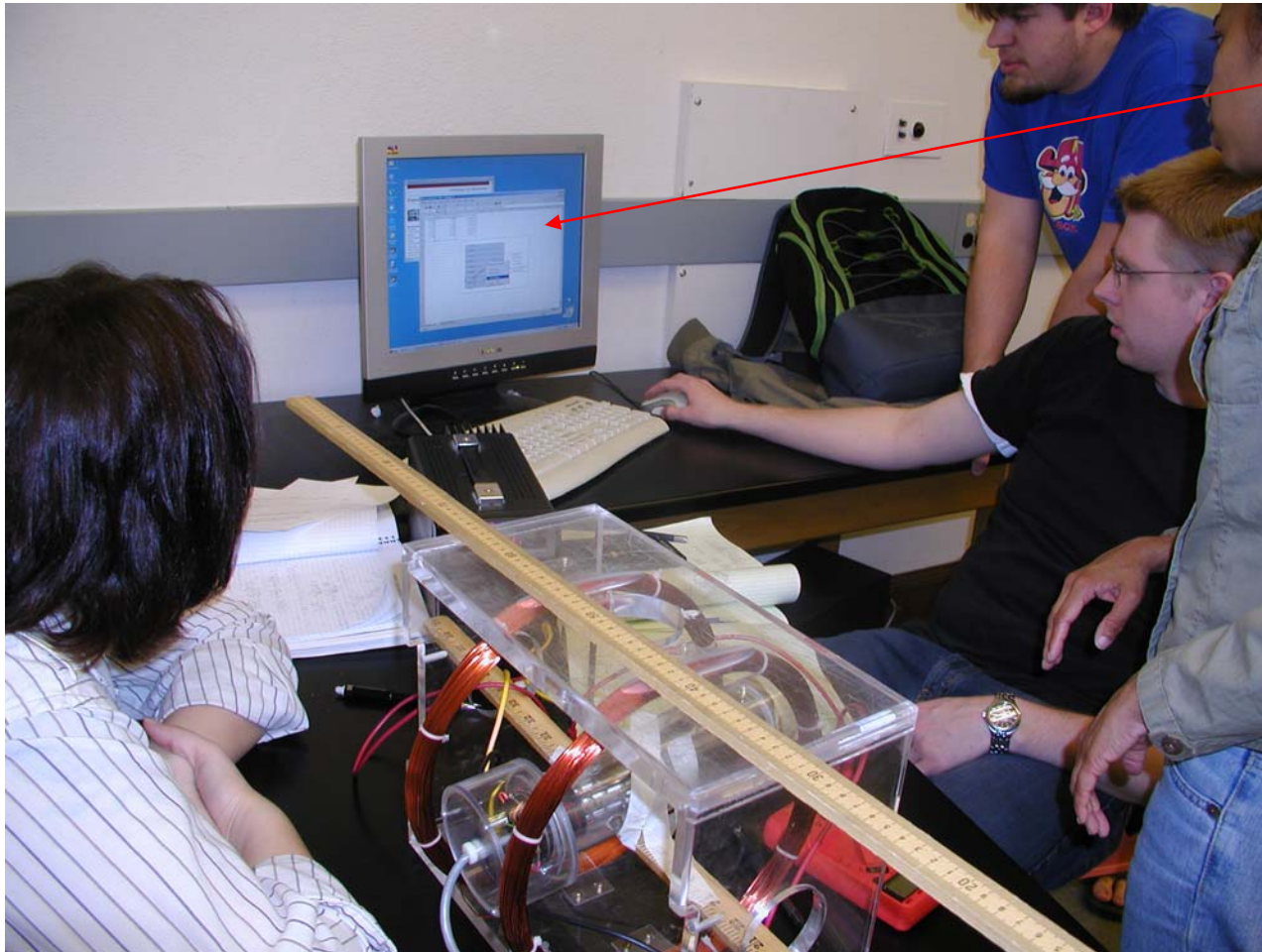


# Exporting Data to EXCEL



**Excel  
Spreadsheet**

**Also exportable  
To:  
E-mail  
Text file**





### PROBLEM #3

## MEASURING THE MAGNETIC FIELDS OF PERMANENT MAGNETS

### Context

Your team is designing a probe to investigate space near Jupiter. One device uses strong permanent magnets to track the motion of charged particles through Jupiter's magnetic field. You worry that their magnetic fields could damage computers on the probe. To estimate how close a magnet can be to a computer without causing damage, you have been asked to determine the magnitude of the field near the magnet.

No isolated magnetic monopoles have ever been discovered (a difference between magnetism and electricity) but you wonder how accurately one could *mathematically model* the field of a bar magnet as the vector sum of fields produced by monopoles located near each end of the magnet. With this model, you calculate how the magnetic field would vary with distance along each symmetry axis of a bar magnet. You assume that a magnetic monopole would produce a magnetic field similar to the electric field produced by a point charge. To test your model, you decide to measure the magnetic field near a bar magnet with a Hall probe.

### EQUIPMENT

You will have a bar magnet, a meter stick, a Hall probe (see Appendix D), and a computer data acquisition system (see Appendix E). You will also have a Taconite plate and a compass.

### PREDICTION

Restate the problem. What are you trying to calculate? What assumptions are you making?



## WARM-UP QUESTIONS

**Before  
Class**

Review your notes from Lab I problem 2, "Electric Field from a Dipole"

1. Draw a bar magnet as a magnetic dipole consisting of two magnetic monopoles of equal strength but opposite sign, separated by some distance. Label each monopole with its strength and sign, using the symbol "g" to represent the strength of the monopole. Label the distance. Choose a convenient coordinate system.
2. Select a point along one of the coordinate axes, outside the magnet, at which you will calculate the magnetic field. Determine the position of that point with respect to your
- 3....
- 4....
- 5....
- 6....

## EXPLORATION

Using either a Taconite plate or a compass check that the magnetic field of the bar magnet appears to be a dipole.

Start the Hall probe program and go through the Hall probe calibration procedure outlined in *Appendix E*. Be sure the switch on your amplification box agrees with the value on the computer.

Take one of the bar magnets and use the probe to check out the variation of the magnetic field. Based on your previous determination of the magnetic field map, be sure to orient the Hall probe correctly. Where is the field the strongest? The weakest? How far away from the bar magnet can you still measure the field with the probe?

**Plan**

Write down a measurement plan.





## MEASUREMENT

Based on your exploration, choose a scale for your graph of magnetic field strength against position that will include all of the points you will measure.

### Decisions

Choose an axis of the bar magnet and take measurements of the magnetic field strength in a straight line along the axis of the magnet. Be sure that the field is always perpendicular to the probe. Make sure a point appears on the graph of magnetic field strength versus position every time you enter a data point. Use this graph to determine where you should take your next data point to map out the function in the most efficient manner.

Repeat for each axis of the magnet.

## ANALYSIS

### Graph data

Compare the graph of your calculated magnetic field to that which you measured for each axis of symmetry of your bar magnet. Can you fit your prediction equation to your measurements by adjusting the constants?

## CONCLUSION

### Evaluate Results

Along which axis of the bar magnet does the magnetic field fall off faster? Did your measured graph agree with your predicted graph? If not, why? State your results in the most general terms supported by your analysis.

How does the shape of the graph of magnetic field strength versus distance compare to the shape of the graph of electric field strength versus distance, for an electric dipole along each axis? Is it reasonable to assume that the functional form of the magnetic field of a monopole is the same as that of an electric charge? Explain your reasoning.



# Motivation



- Why computers?
  - Can lead to faster, more accurate data taking
  - Familiar technology for most students
  - Concern: should not detract from the physical phenomena being studied
- Why video?
  - 2-D motion, less abstract, familiar technology
- Why design our own software?
  - Facilitate discussion and coaching
  - Features force specific decisions:
    - Predict an equation before plotting data
    - Choosing a coordinate system; origin and rotation
    - Calibration
    - Manually plot and analyze data; Unlabeled axes
    - Cannot “go back” or “undo”



# Why LabVIEW?

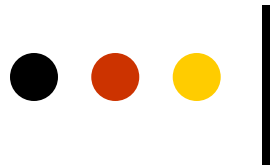
- Many departments already own and are familiar with LabVIEW.
- Graphical programming allows for easier adaptability by instructors.
- Industry standard and continued support.





# Requirements

- LabVIEW base package version 7.2 or higher. (Most current version is 8.3)
- NI-IMAQ (Video Recorder and Video Tool)
- NI IEEE 1394 Firewire Driver (Video Recorder)
- Variety of platforms
  - Windows 2000/NT/XP
  - Mac
  - Linux
  - Solaris



# Programs



- o Practice FIT
- o Video RECORDER
- o Video TOOL
- o Hall PROBE
- o Faraday PROBE





# Practice FIT

- Allows students to practice their equation analysis techniques.
- First exercise done.

# PRACTICE FIT 2+

## Instructions

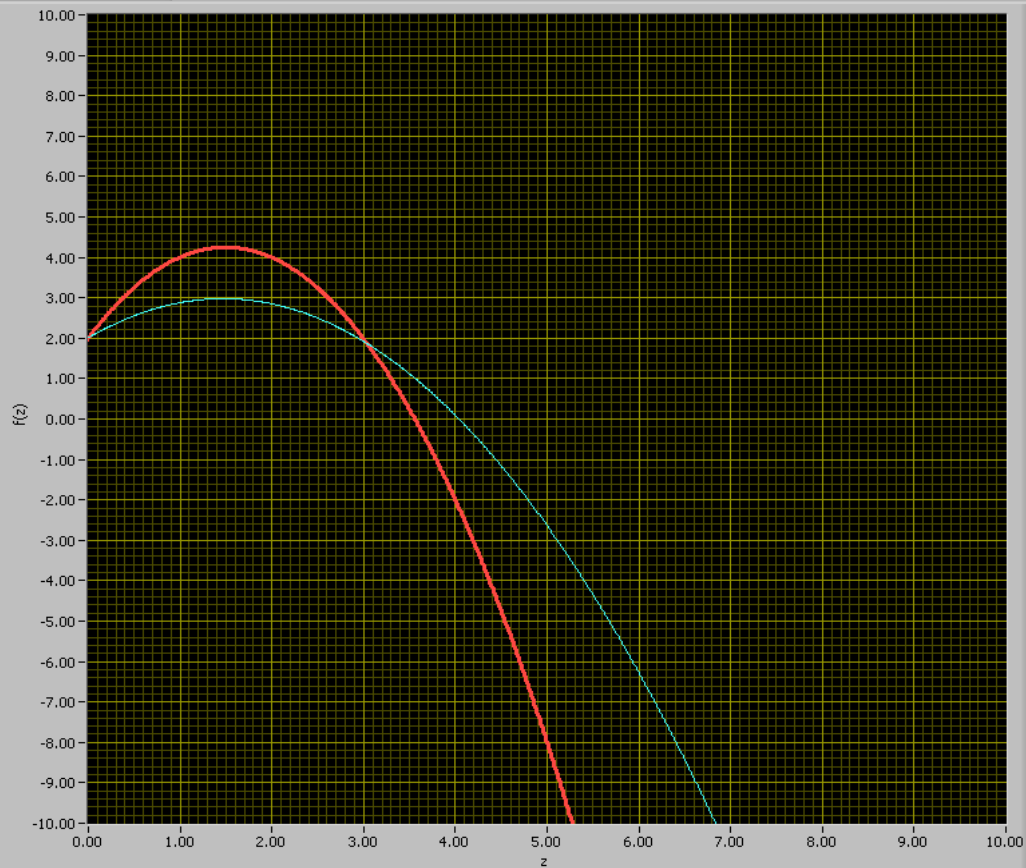
The thin curve is the "Mystery Function." The thick curve is the "Fit Function." Adjust its "Function type" and constants ("A"-"G") to match the Mystery Function. Click anywhere on the panel to update changes in the graph.

The function's graph may be outside the area shown, or you may need a magnified view. Adjust the lower/upper limit of either axis by double-clicking the limit's numerical value and typing a new number.

Press "Accept Fit Function" to reveal the equation of the Mystery Function.

Mystery Function

Fit Function



Select mystery function (1-10)



4

Graph mystery function



Function type

 $f(z) = A + Bz + Cz^2$ 

A

2.00

B

3.00

C

-1.00

D

0.00

E

0.00

F

0.00

G

0.00

Fit Function

Accept Fit Function



New mystery function



QUIT

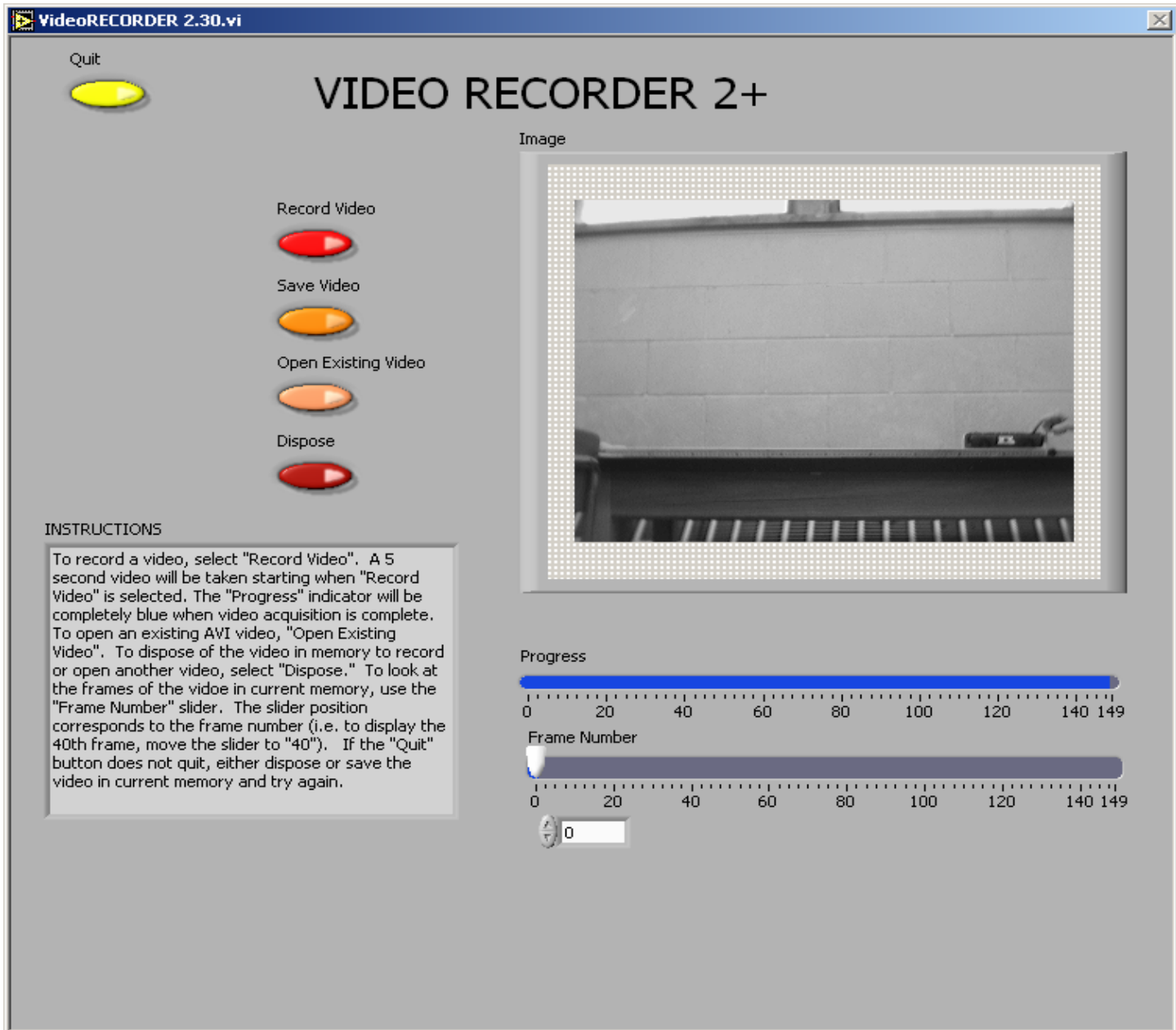


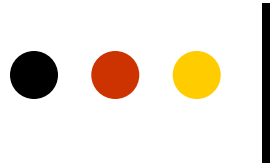


# Video RECORDER



- Simple Format Video Display and Acquisition
- 30 frames/second, 5 seconds long
- AVI Format
- IEEE 1394
- Allows the user to step through frame by frame.





# Video TOOL



- Load and view video
- Predict x and y position and x and y velocity
- Acquire data
- Analyze data





# VIDEO TOOL 2+

## INSTRUCTIONS

To begin calibration, select the "Begin Calibration" button. If you wish to clear all your variables, graphs, etc. and start over with the Calibration portion of the program, select "Reset". You may select "Reset" at any time during the program.

## CALIBRATION CONTROLS

|                      |                      |                      |                      |
|----------------------|----------------------|----------------------|----------------------|
| x0,y0                | origin               | Length               | Rotate               |
| <input type="text"/> | <input type="text"/> | <input type="text"/> | <input type="text"/> |
| x1,y1                | x2,y2                | Units                | OK                   |
| <input type="text"/> | <input type="text"/> | <input type="text"/> | <input type="text"/> |

Return to Beginning    Reset    **PROGRAM CONTROLS**    Save Session    Save Data Table    Open Session

Begin Calibration    Acquire Data    Analyze Data    Print Results

position units:  m

velocity units: (per second)  m

Calibration Factor:  0  m per pixel

**PREDICTION CONTROLS**    **FIT CONTROLS**

Accept x-prediction    Accept x-fit

Accept y-prediction    Accept y-fit

Accept vx-prediction    Accept vx-fit

Accept vy-prediction    Accept vy-fit

QUIT PROGRAM    Prediction Data Fits

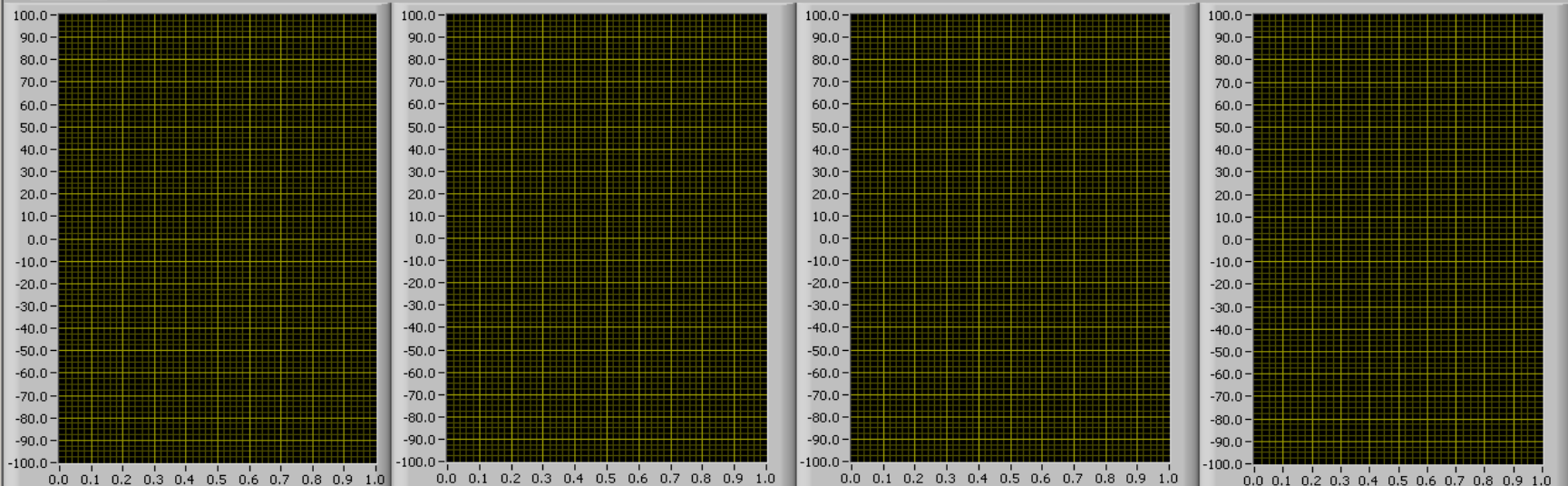
x position:  0

y position:  0

Accept Data Point:

Time Stamp:  0

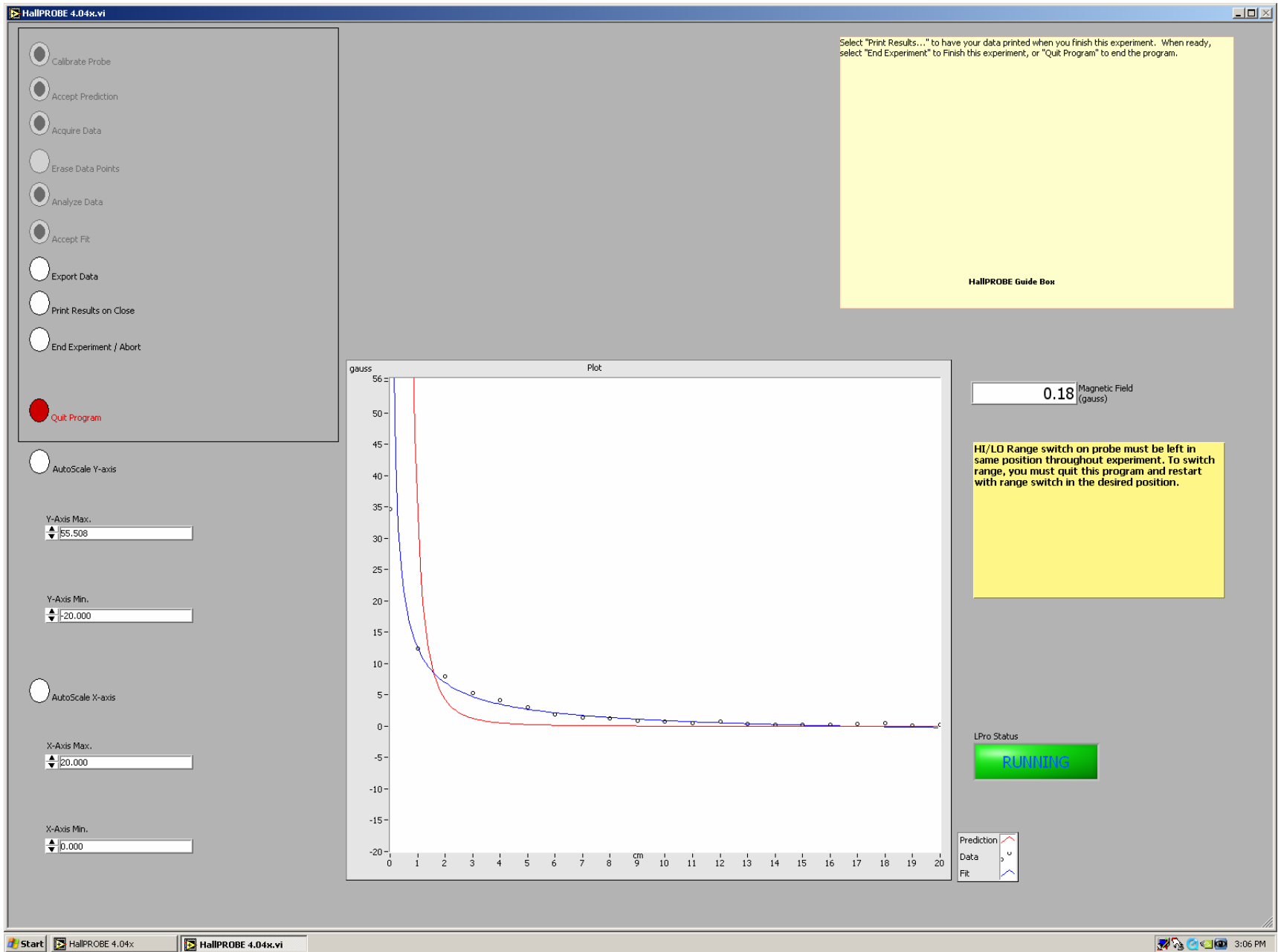
Play    Step <    Step >    Beginning    End





# Hall PROBE

- Use with Vernier Magnetic Field Sensor
- Predict, measure, and analyze magnetic fields





# Faraday PROBE

- Mimics an oscilloscope
- Allows the measurement of the magnitude and period of an induced magnetic field.
- Use with the Vernier Magnetic Field Sensor and Differential Amplifier
- Prediction, data, and analysis.












$$f(x) = A + B / (x + C)^D$$

 A **Fit Equation**
 B

 C

 D **Fit**

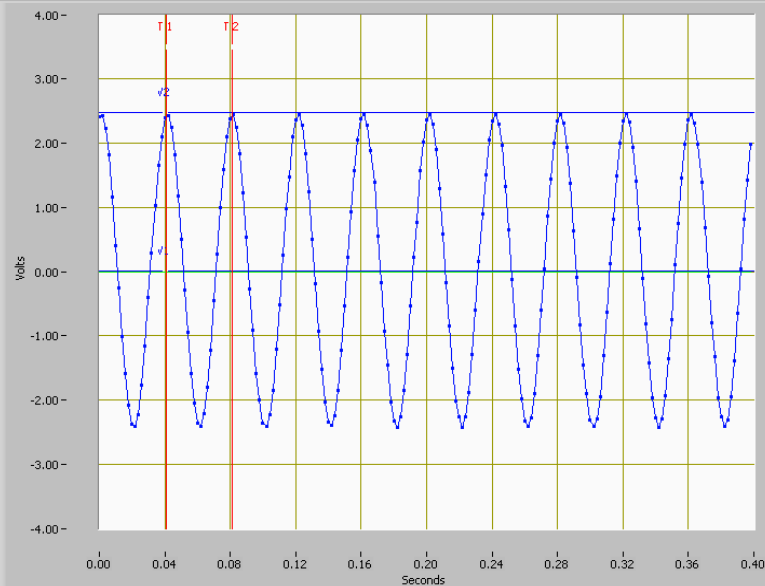
Oscilloscope Acquisition Mode  
☒ Continuous Sweep  
☐ Triggered Single Sweep

Adjust the constants and equation to fit the measured induced potential. Select "Accept Fit" when you are satisfied.

FaradayPROBE Guide Box

1 Volt/div

40 msec/div



Prediction  
 Data  
 Fit

☒ AutoScale Y

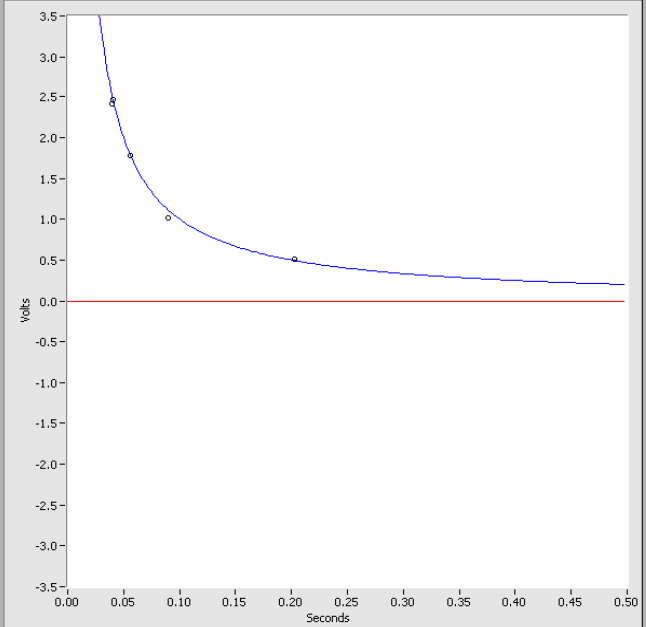
Y-Axis Max.

Y-Axis Min.

☐ AutoScale X

X-Axis Max.

X-Axis Min.

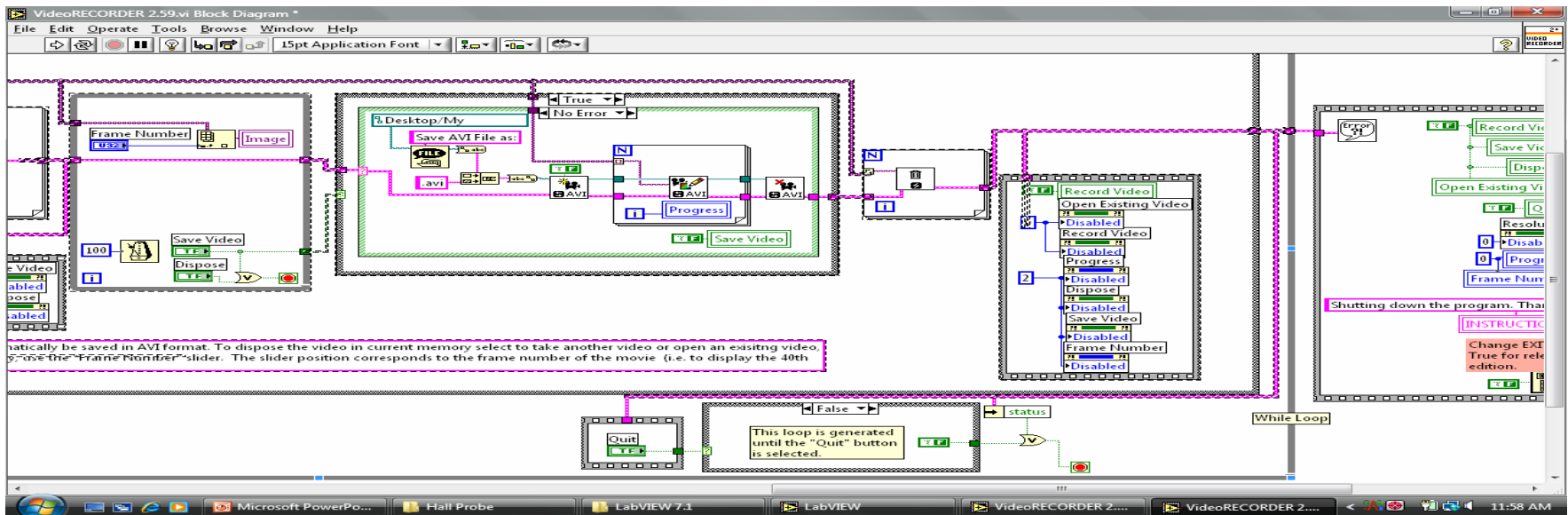






# Adaptability

- Easily edited by the instructor after using the LabVIEW tutorial.
  - Approximately 1 hour for each change (based on no prior experience with LabVIEW).
- Any AVI file with 30 fps and no dropped frames.





# Conclusions

- Developed software that runs on standard PCs and is based on a commercial product.
- Works for 1000's of students and TAs every semester.
- Is easily modifiable to suit an instructor's pedagogy.

# To try this for yourself....

- <http://groups.physics.umn.edu/physed>
  - Computerized Problem Solving Labs
  - Download our laboratory software
- [lab@physics.umn.edu](mailto:lab@physics.umn.edu)

